

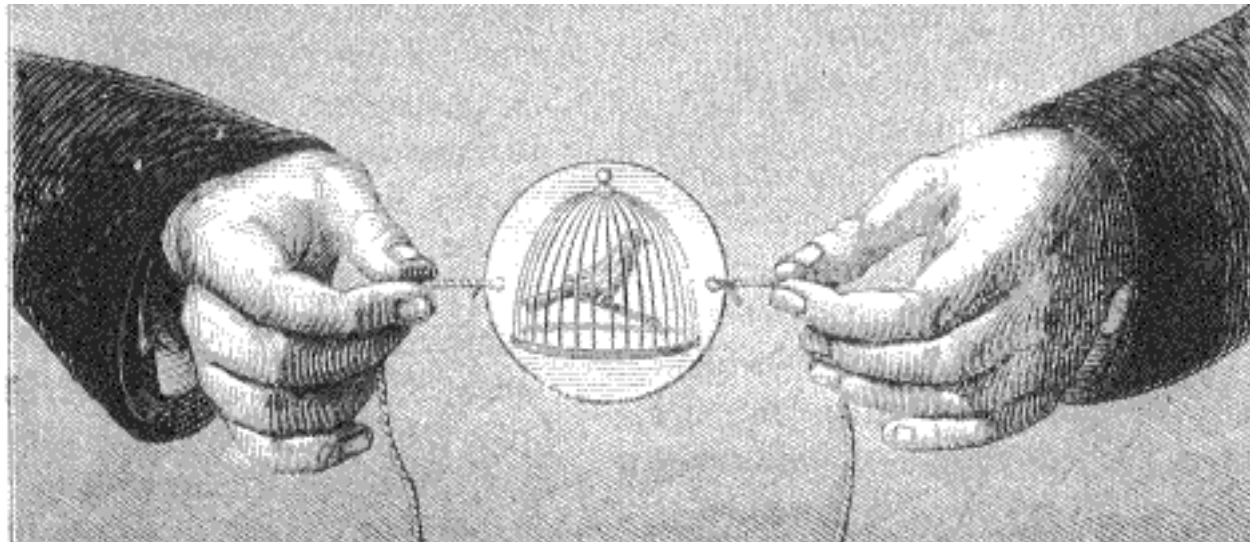
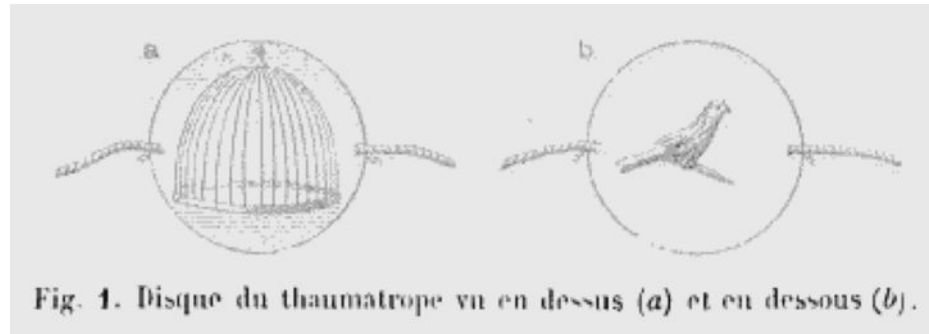
CNAM - NSY116 - déc. 2013

Animation interactive

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- Généralités
- Easing
- Dynamique du point
- Particules, nuées
- Masse-Ressort
- Structures articulées



revue *La Nature* <http://cnum.cnam.fr>

1829 - Joseph PLATEAU (Belgique) - Thaumatrope

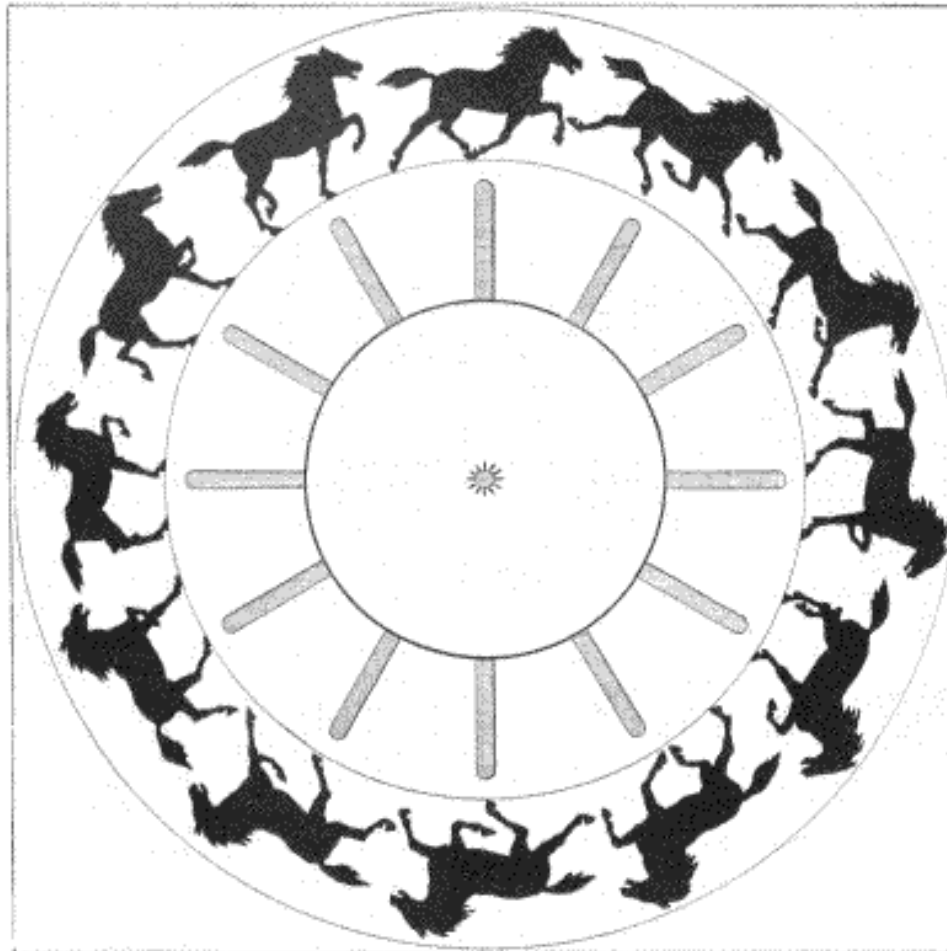


Fig. 1. Disque zoopraxique d'un cheval au trot, (d'après les photographies instantanées de M. Muybridge.)

revue *La Nature* <http://cnum.cnam.fr>

E. MUYBRIDGE - Zoopraxinoscope



<http://www.institut-lumiere.org/>

1895 - Auguste et Louis LUMIERE (Lyon)- Le cinématographe



<http://www.loc.gov/rr/print/swann/artwood/aw-animation.html>

ca 1910 - Windsor McCAY - Gertie the dinosaur



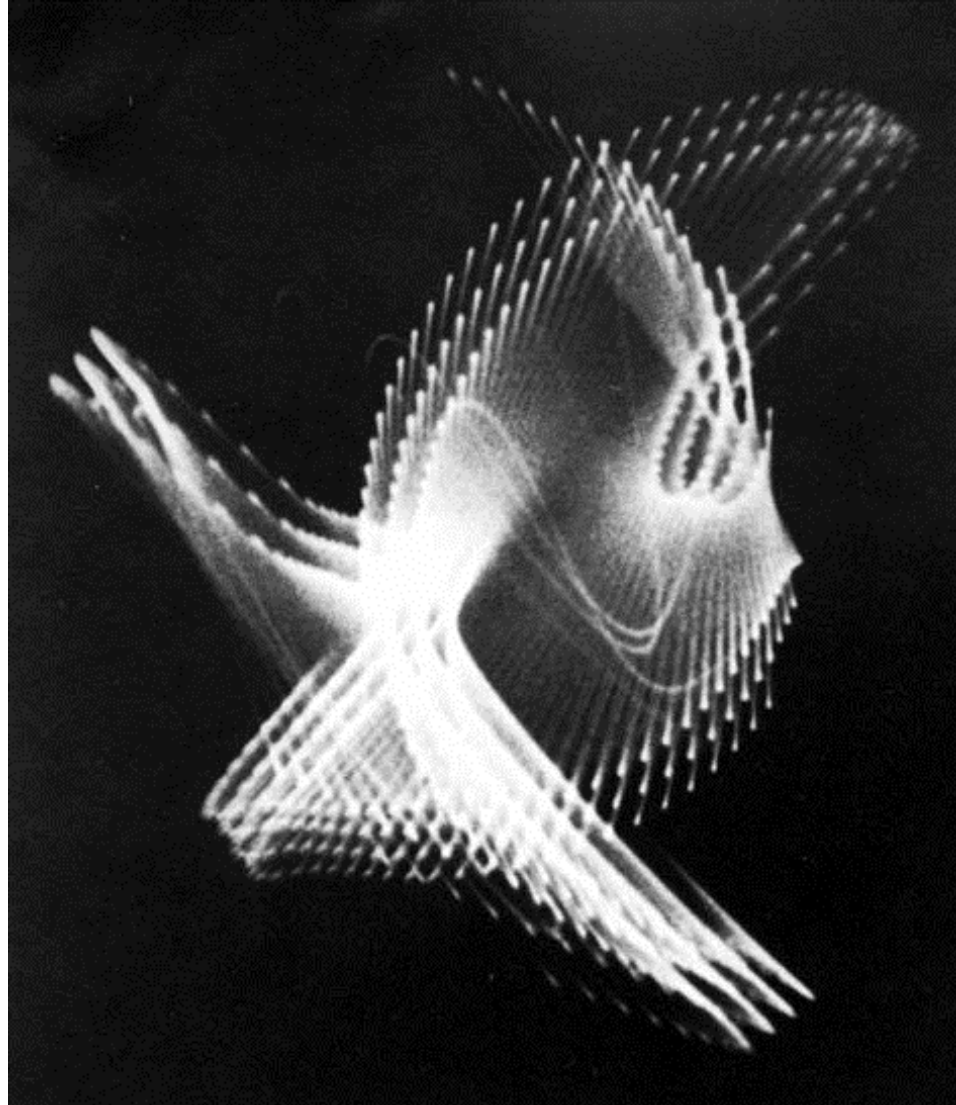
1937 - Walt DISNEY - Snow White



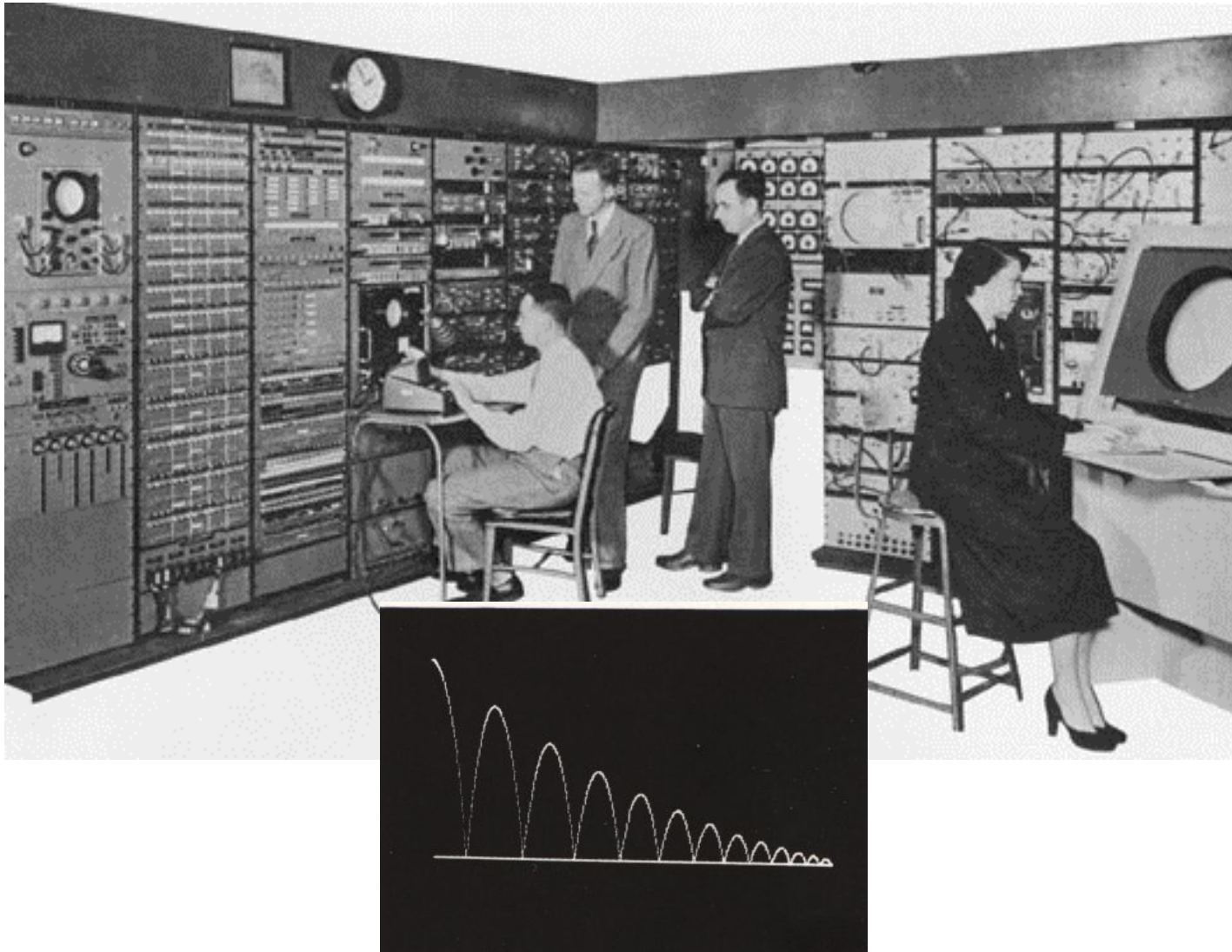
Multiplane camera



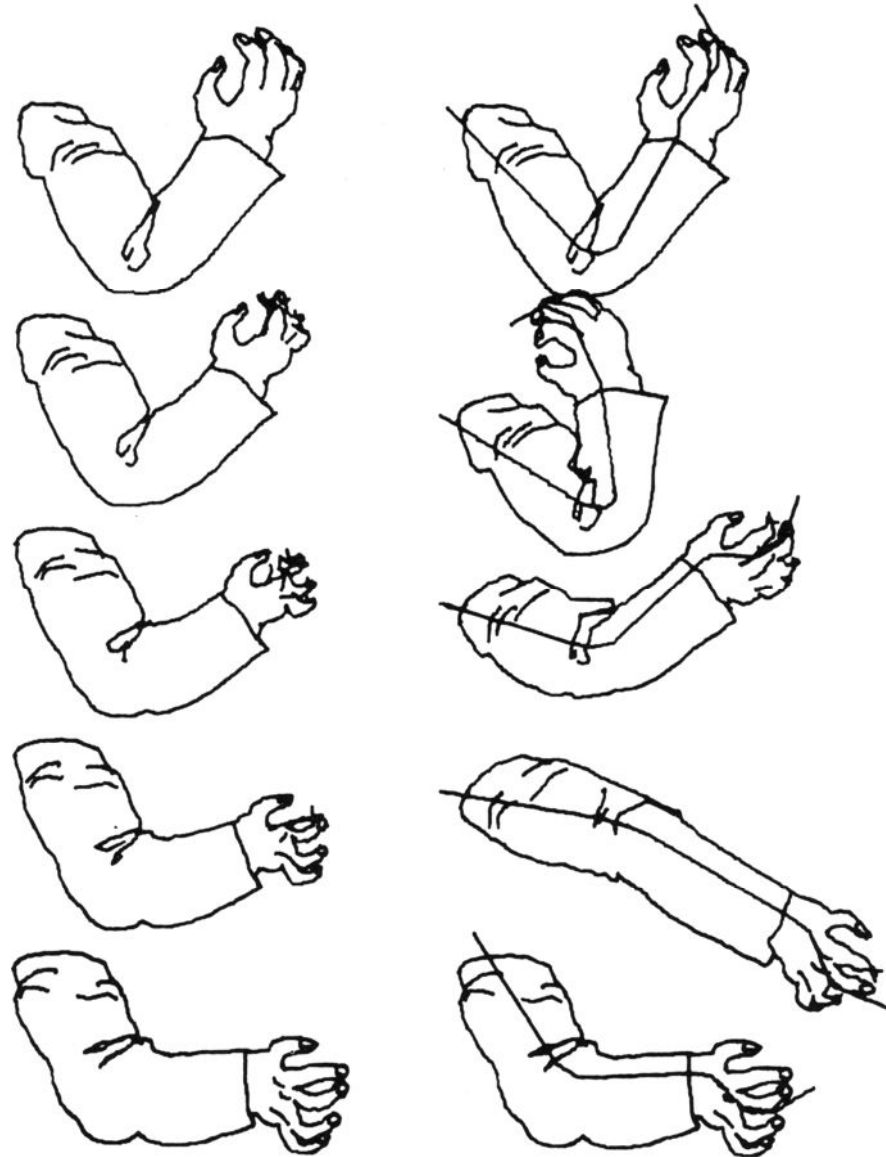
(musée du Walt Disney studio, Burbank)



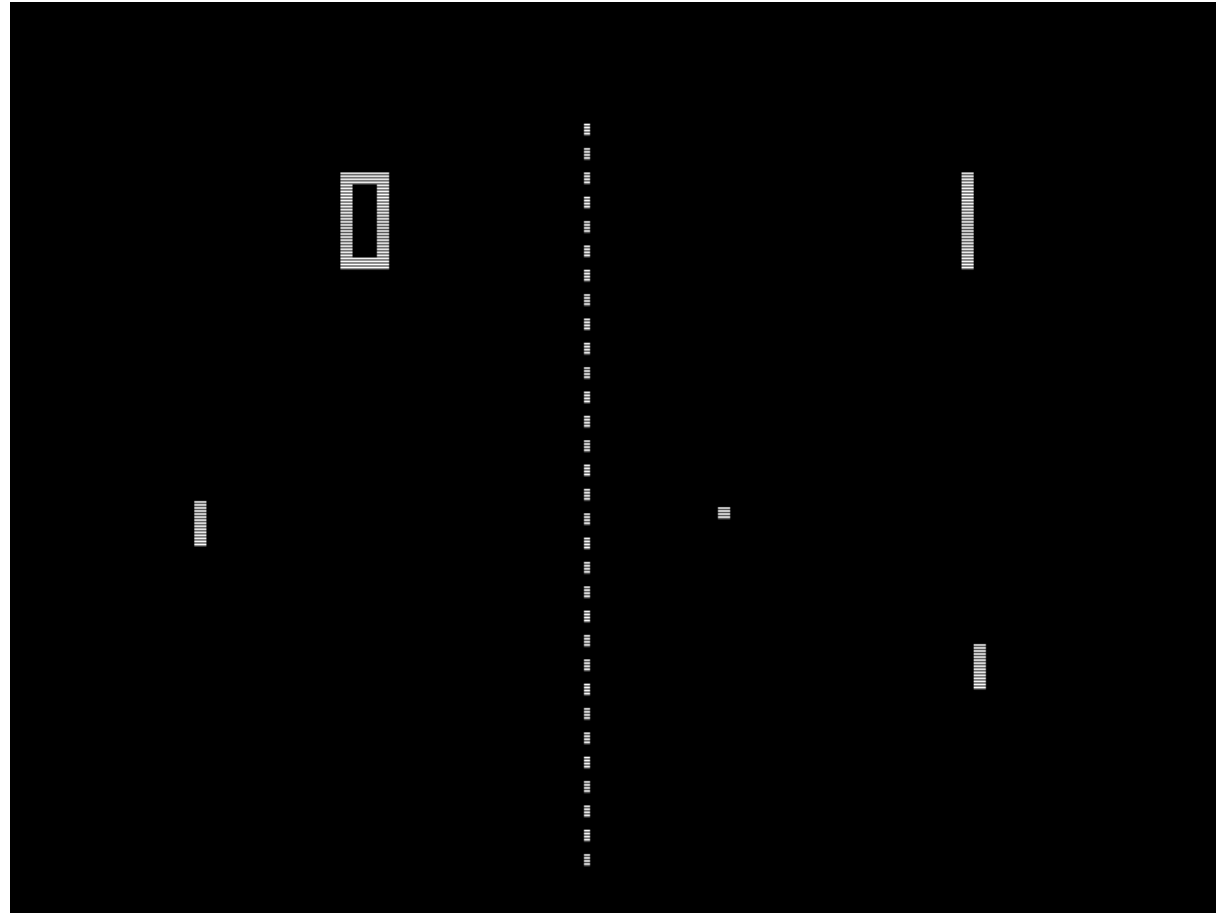
1950 - Ben Laposky



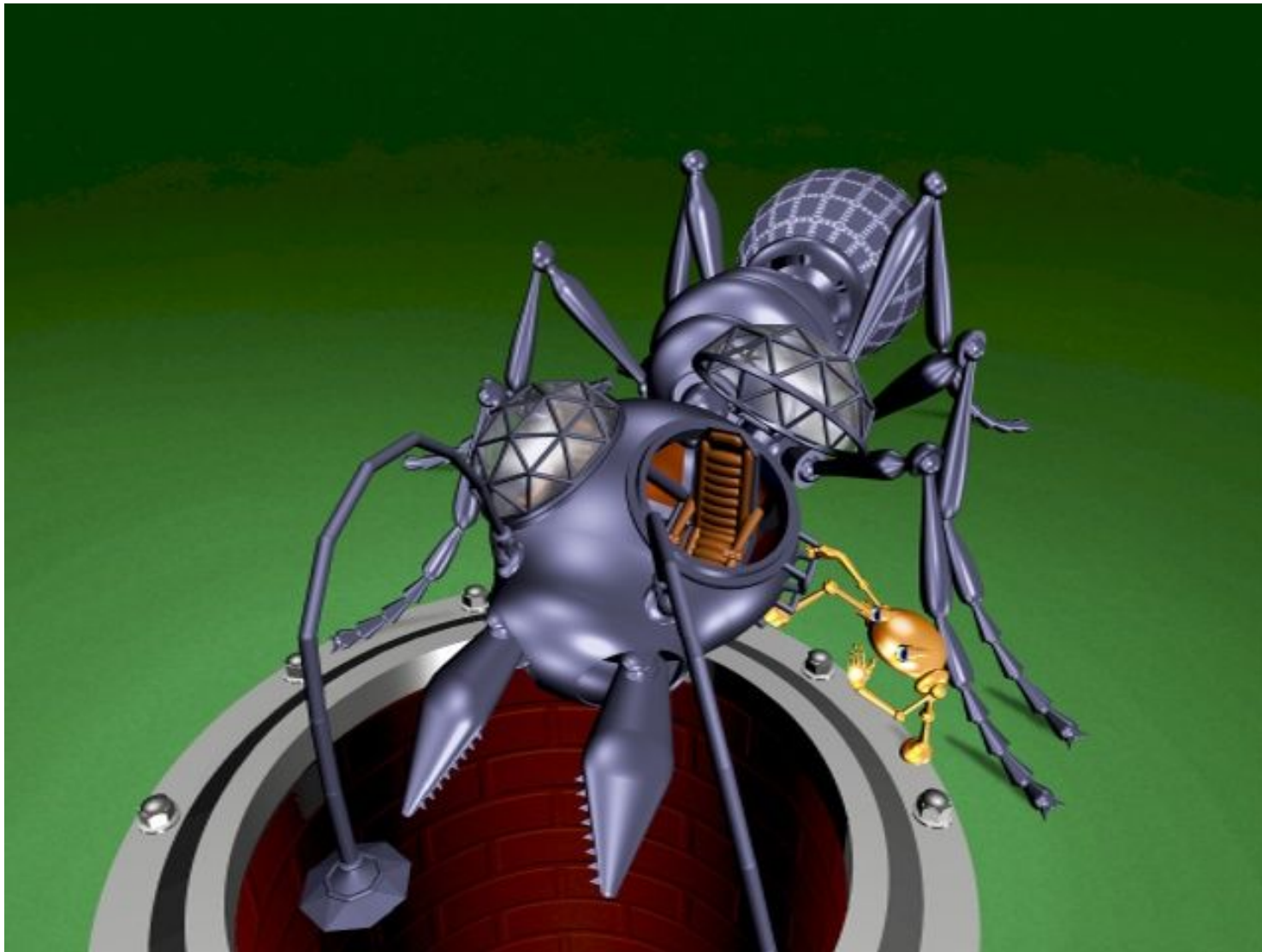
1949-51 - Projet WHIRLWIND



1971 - BURTONYK & WEIN (Canada)



1972 - Pong (Atari)



1980 - NYIT - The works

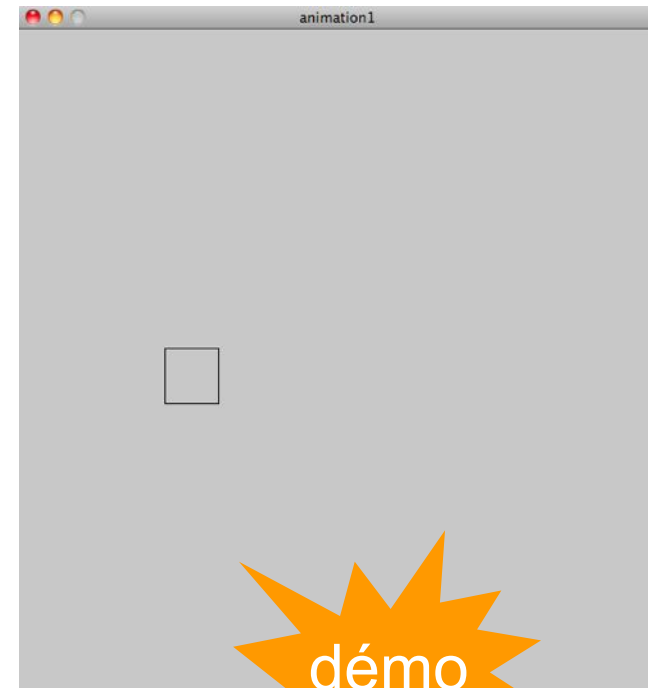


1986 - Pixar (Lasseter et al.) - Luxo junior

Une première animation (ratée)

demo9modereactifBIS

```
void setup() {  
  size(600,600);  
  noFill();stroke(0);  
}  
  
void draw() {  
  background(200);  
  float x=random(0,width);  
  float y=random(0,height);  
  rect(x,y,50,50);  
}
```



pourquoi voit-on en fait plusieurs carrés ??

le mouvement brownien

animation2

```
float x=300;
```

```
float y=300;
```

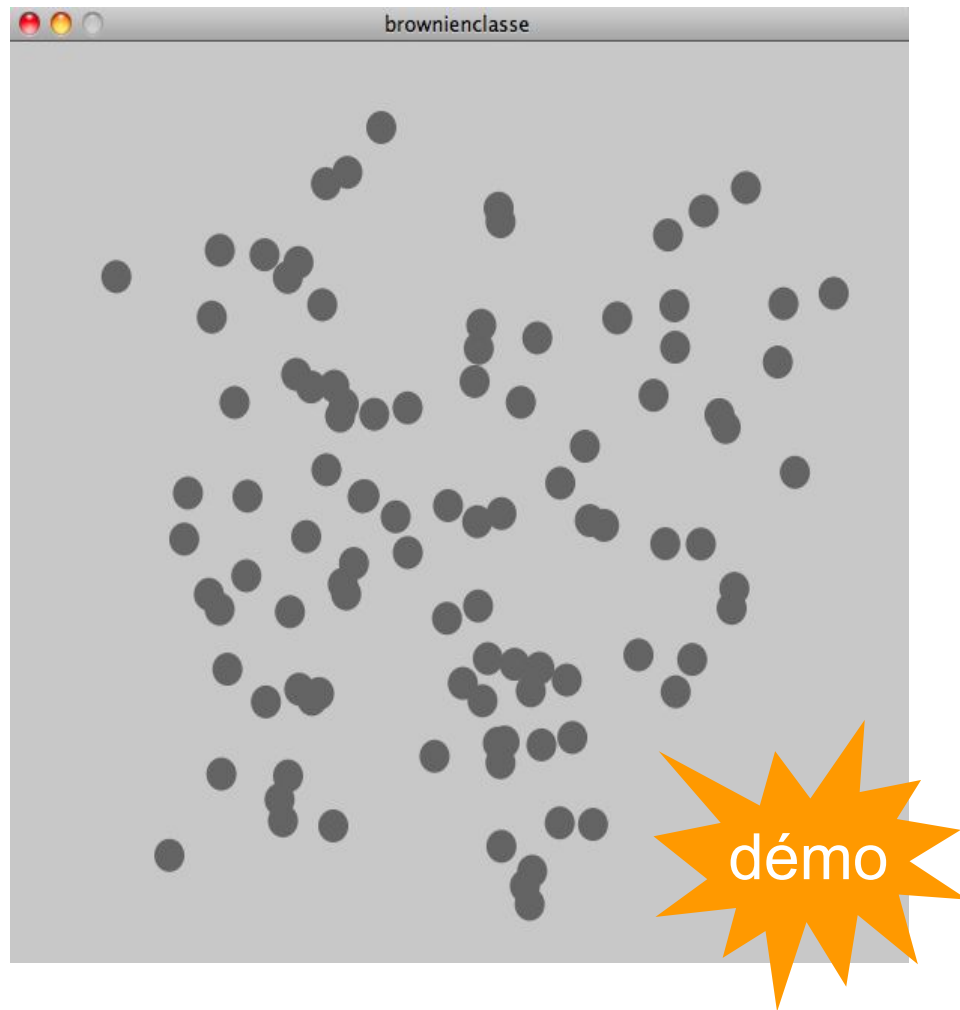
```
void setup() {  
  size(600,600);  
  fill(100);noStroke();  
  smooth();  
}
```

```
void draw() {  
  background(200);  
  x = x + random(-2,+2);  
  y = y + random(-2,+2);  
  ellipse(x,y,50,50);  
}
```

démo

changement de position
par petit incrément aléatoire

plusieurs particules ? passer à l'objet



initialisation et boucle d'animation :

```
brownienclasse
particule[] p = new particule[100];

void setup() {
  size(600,600);
  frameRate(15);
  smooth();
  for (int i=0;i<p.length;i++) p[i] = new particule();
}

void draw() {
  background(0);
  for (int i=0;i<p.length;i++){
    p[i].dessin();
    p[i].evolution();
  }
}
```

```
class particule {  
  float x,y;
```

```
  particule(){  
    x=300; y=300;  
  }
```

```
  void dessin(){  
    fill(100);noStroke();  
    ellipse(x,y,20,20);  
  }
```

```
  void evolution(){  
    x = x+random(-10,+10);  
    y = y+random(-10, +10);  
  }  
}
```



- tester des variantes selon la position initiale, les options de dessin
- étudier l'influence du frameRate()

L'animation dans l'IHM

éviter les changements brusques : une ref ?

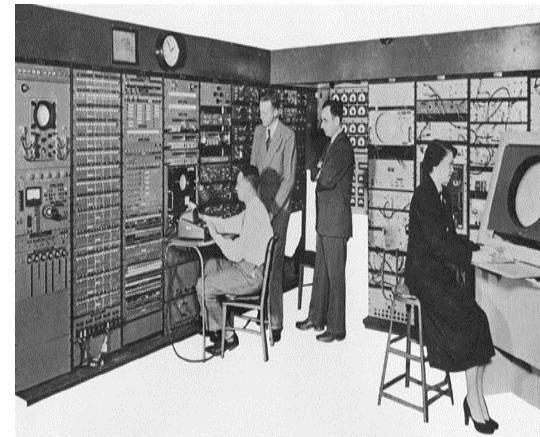
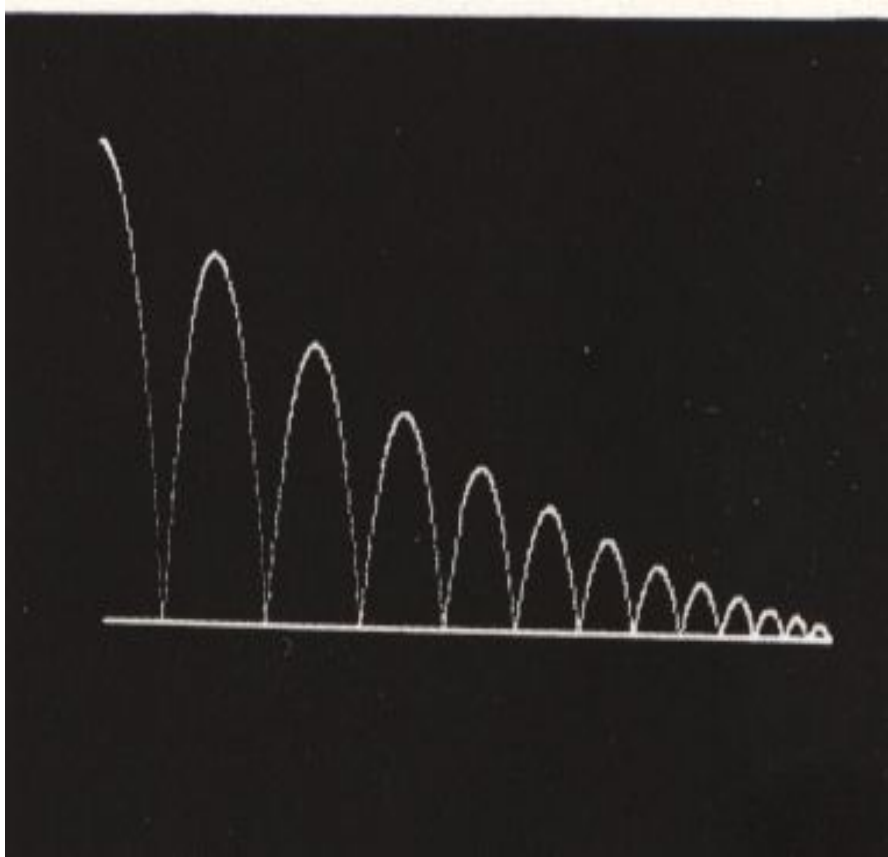
ex sur tactile : overflow? annonce la physique

Le "easing"

```
easingcasseur  
// d'apres Geridan & Lafargue "Processing"  
float x=0;  
float y=0;  
float ease=0.1;  
  
void setup(){  
  size(400,400);  
  smooth();  
  background(0);  
}  
  
void draw(){  
  background(0);  
  x += (mouseX -x)*ease;  
  y += (mouseY -y)*ease;  
  ellipse(x,y,20,20);  
}
```

plusieurs autres
méthodes (fonction sinus etc)

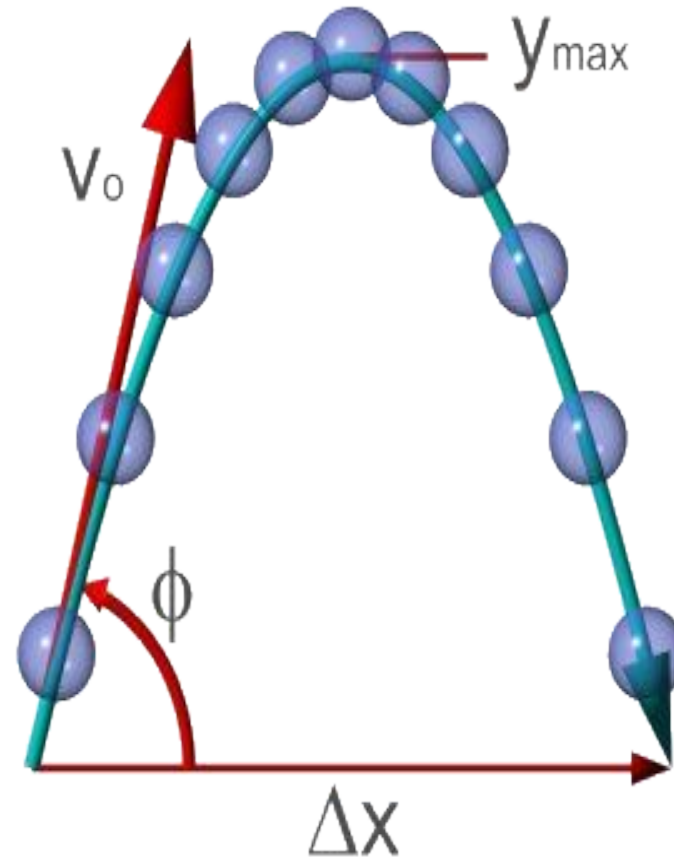
Dynamique du point : ex. du boulet de canon (dans le vide)



1949-51 - Projet WHIRLWIND

Un peu de physique :

$$\sum_i \vec{F}_i = m\vec{a}$$



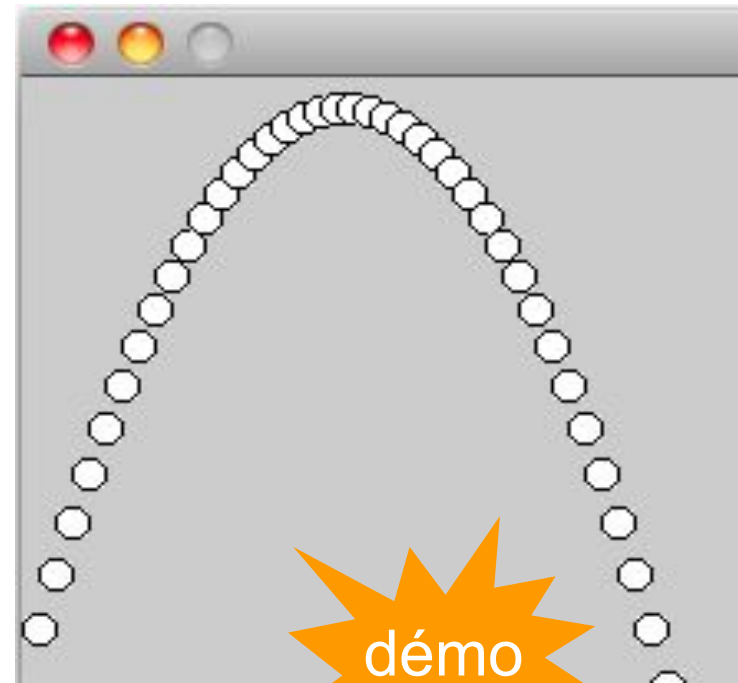
$$\sum \vec{F} = \begin{pmatrix} 0 \\ -mg \\ 0 \end{pmatrix} = m\vec{a} = \begin{pmatrix} m\ddot{x} \\ m\ddot{y} \\ m\ddot{z} \end{pmatrix} \Rightarrow \begin{cases} \dot{x} = v_0 \cos \Phi \\ \dot{y} = v_0 \sin \Phi - gt \\ \dot{z} = 0 \end{cases} \Rightarrow \begin{cases} x = v_0 t \cos \Phi \\ y = v_0 t \sin \Phi - \frac{1}{2}gt^2 \\ z = 0 \end{cases}$$

boulet

```
float x,y,vx,vy,ax,ay;

void setup(){
  size(600,200);
  x = 0;
  y = 0;
  vx = 5;
  vy = 20;
}

void draw() {
  ax = 0;
  ay = -1 = 1 m/s2
  vx = vx + ax;
  vy = vy + ay;
  x = x + vx;
  y = y + vy;
  ellipse(x,height-y,10,10);
}
```

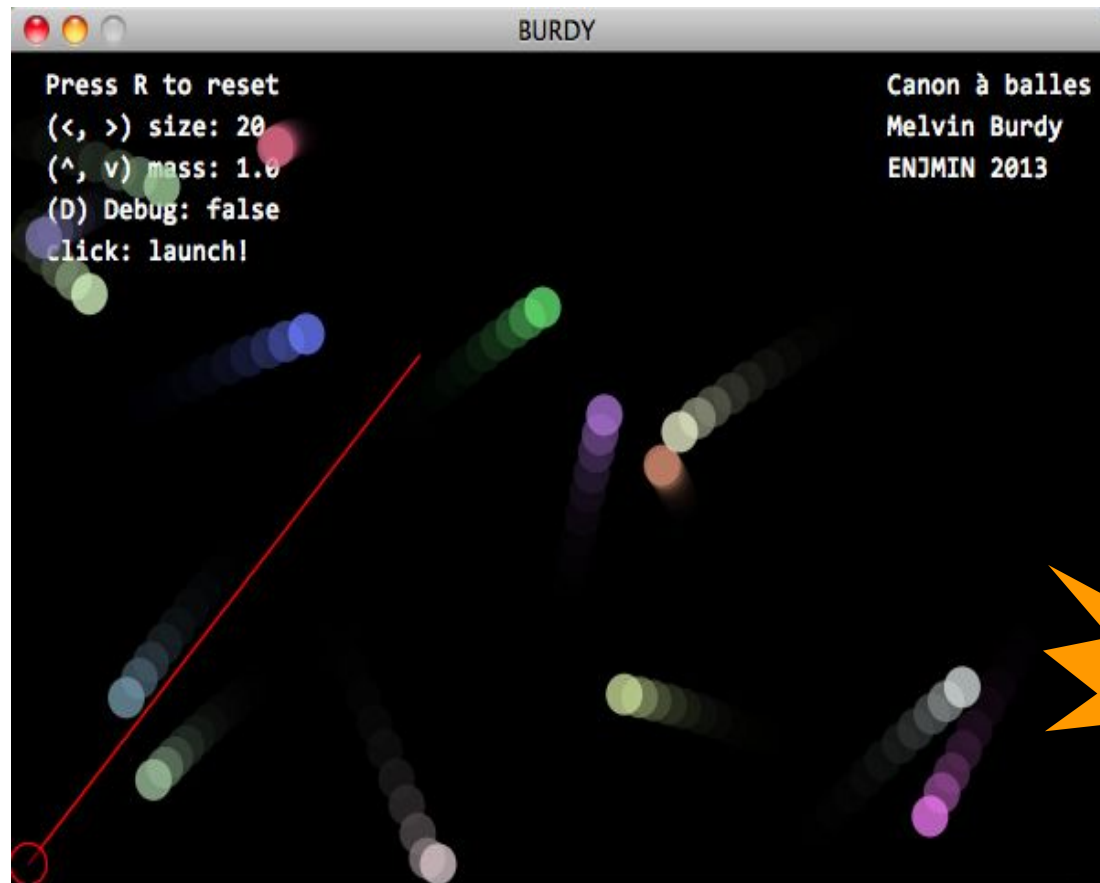


démo



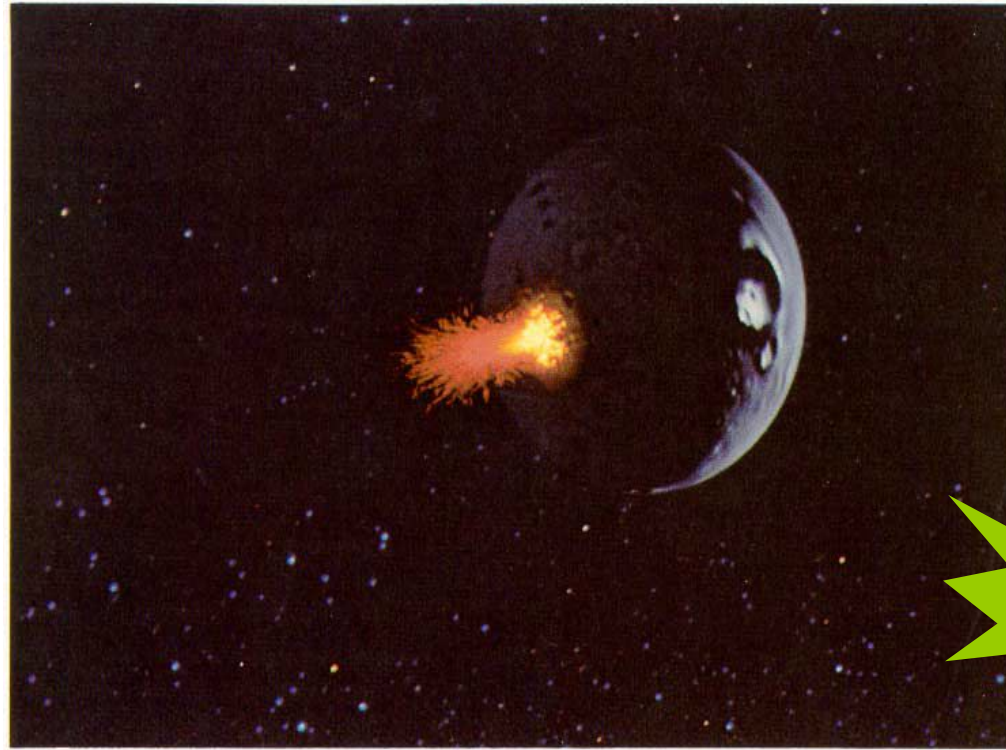
ajouter les
rebonds

Prise en compte des collisions entre objets



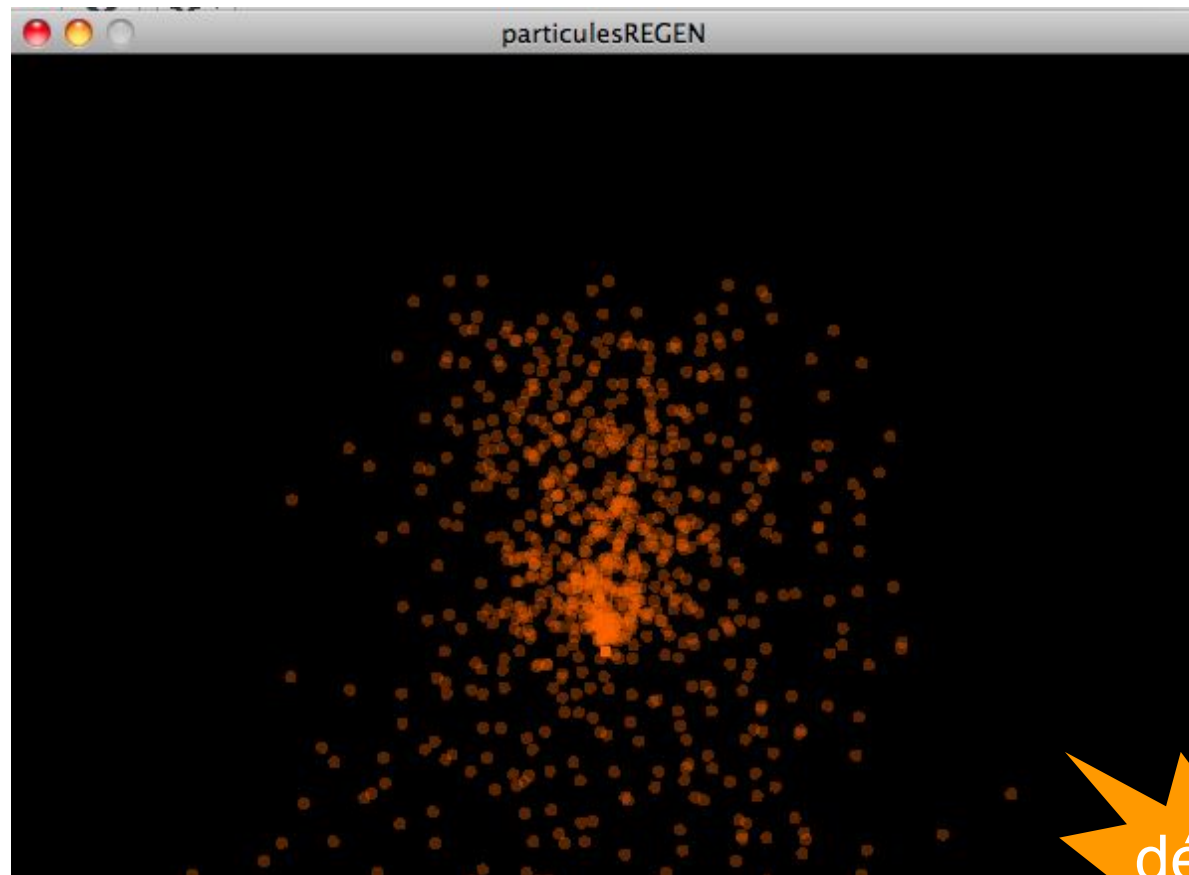
démo

Une extension intéressantes : les particules



vidéo

W. T. Reeves, "Particle Systems A Technique for Modeling a Class of Fuzzy Objects",
Computer Graphics, vol. 17, no. 3, pp 359-376, 1983

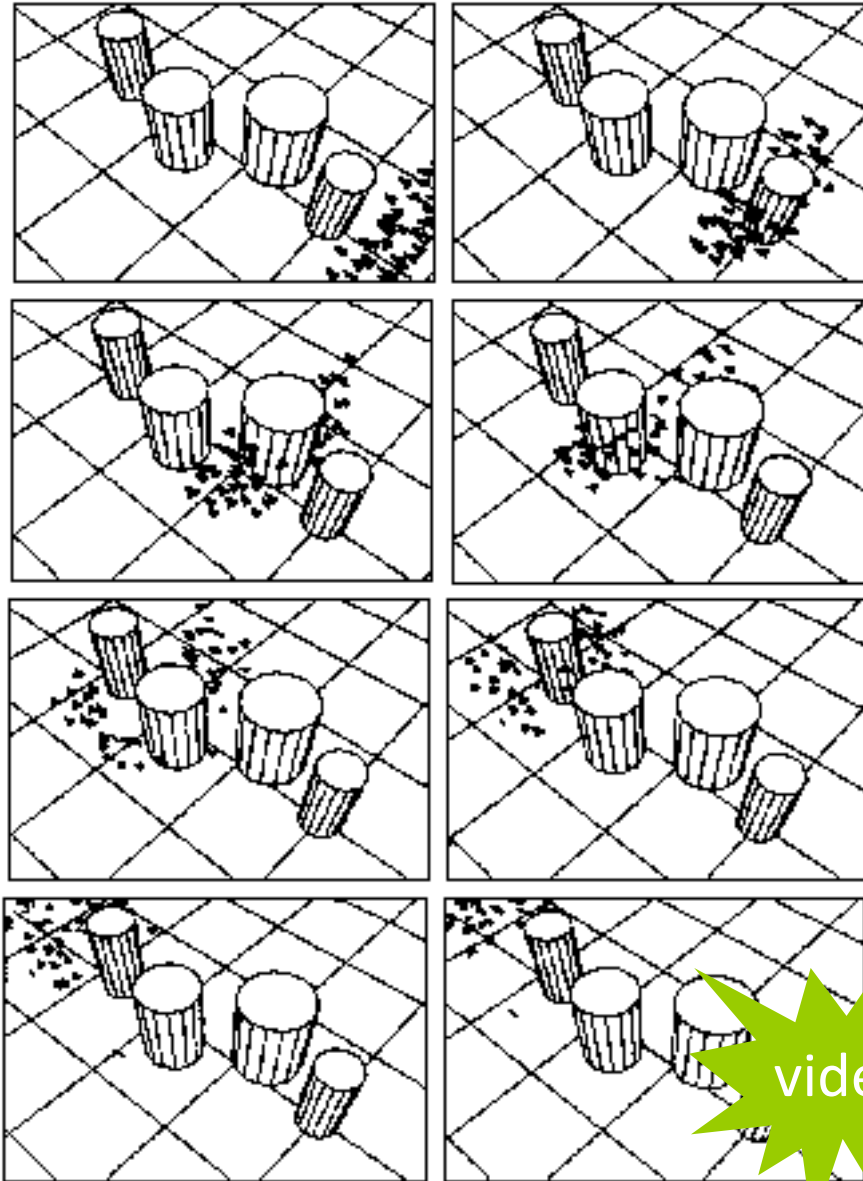


Les nuées (boids)

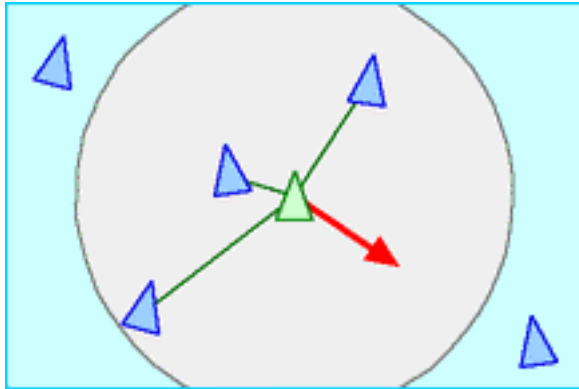
C. W. Reynolds,
"Flocks, Herds, and Schools:
A Distributed Behavioral Model",
Computer Graphics,
vol. 21, no. 4, pp 25-34, 1987.

VOIR SON SITE !!

<http://www.red3d.com/cwr/boids>

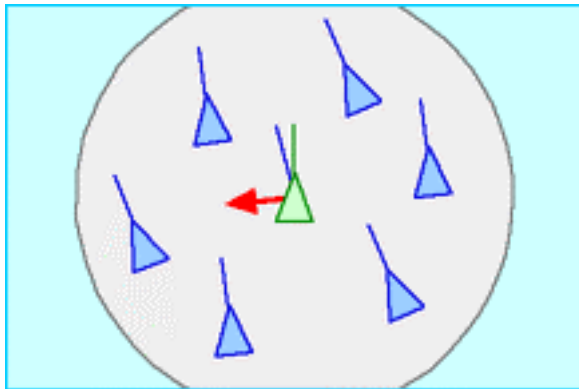


vidéo

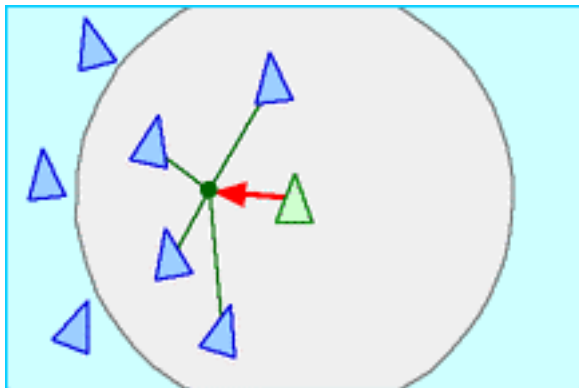


Separation: steer to avoid crowding local flockmates

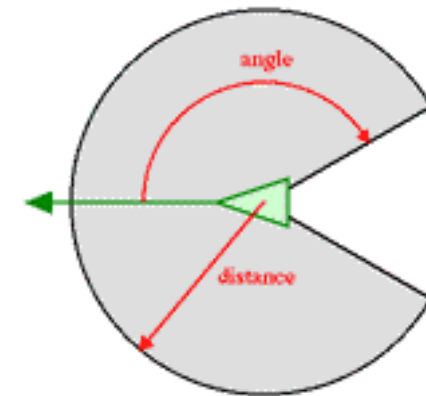
deux forces concurrentes :
-la cohésion au sein du groupe
-l'évitement de collision (prioritaire)



Alignment: steer towards the average heading of local flockmates



Cohesion: steer to move toward the average position of local flockmates

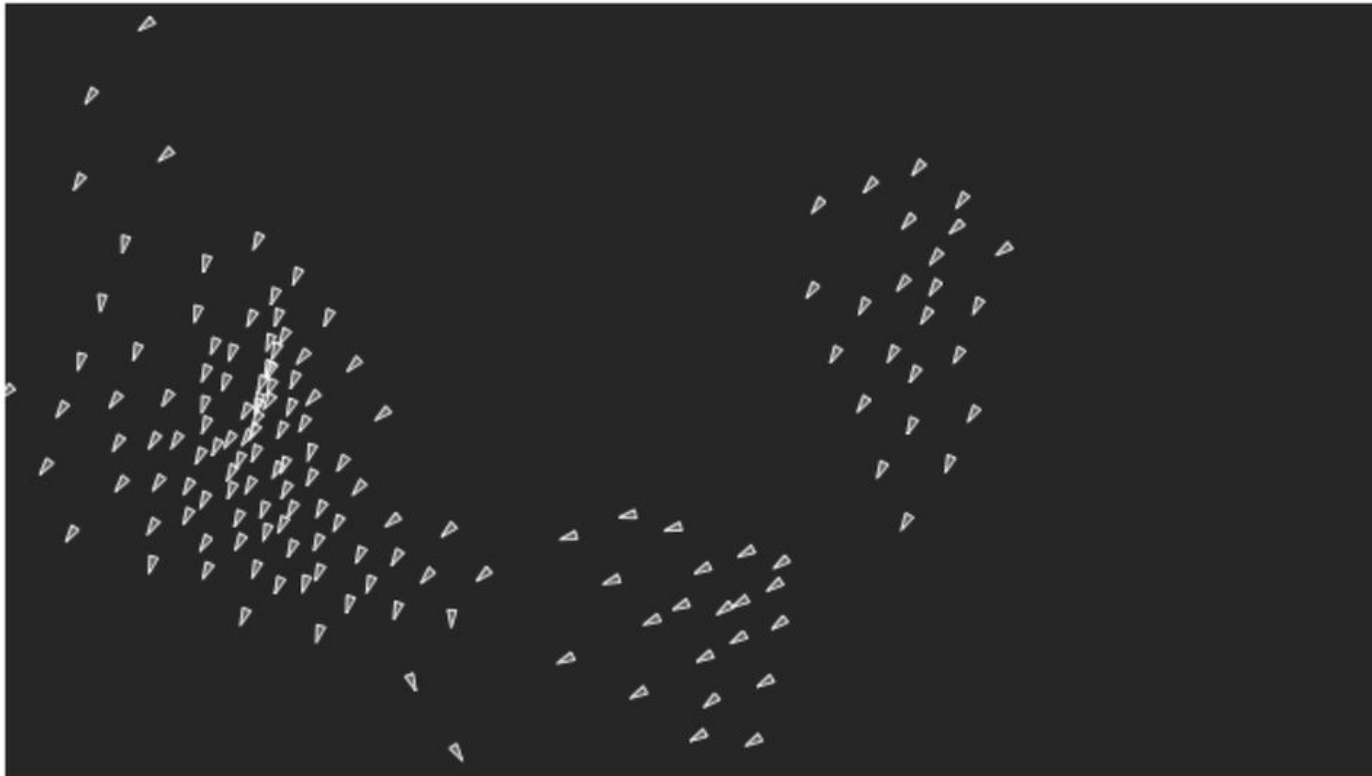


a boid's neighborhood

Exemple de programmation avec Processing :



This example is for Processing version 1.0+. If you have a previous version, use the examples included with your software. If you see any errors or have comments, please [let us know](#).

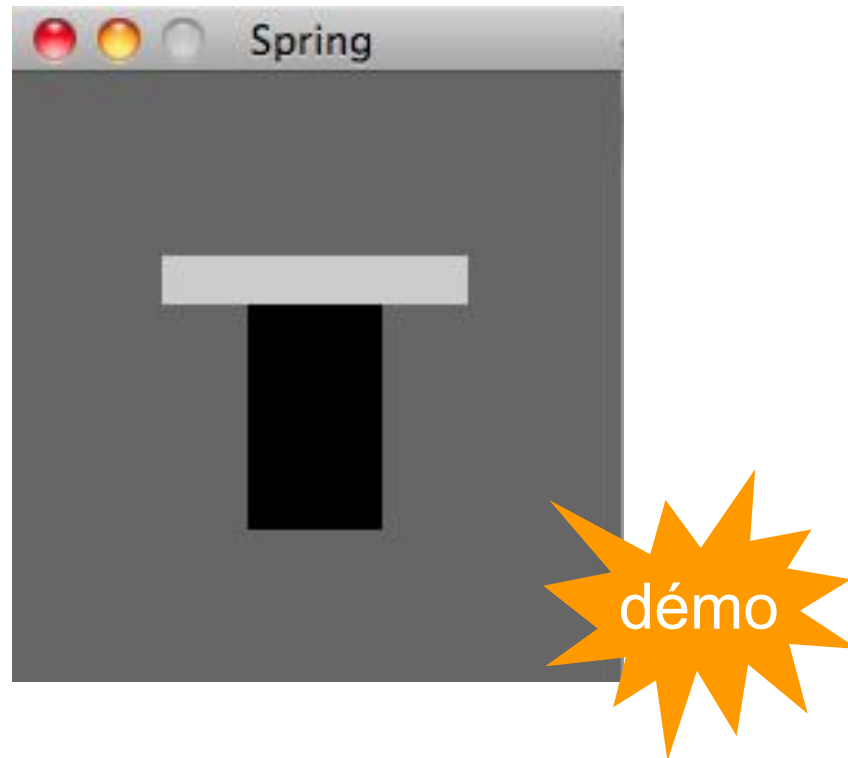


Flocking by Daniel Shiffman.

An implementation of Craig Reynold's Boids program to simulate the flocking behavior of birds. Each boid steers itself

Système masse-ressort

code "Spring" des exemples livrés avec Processing
(rubrique Topics -> Simulate)



"ut tensio sic vis" : telle extension, telle force (Hooke, 1678)

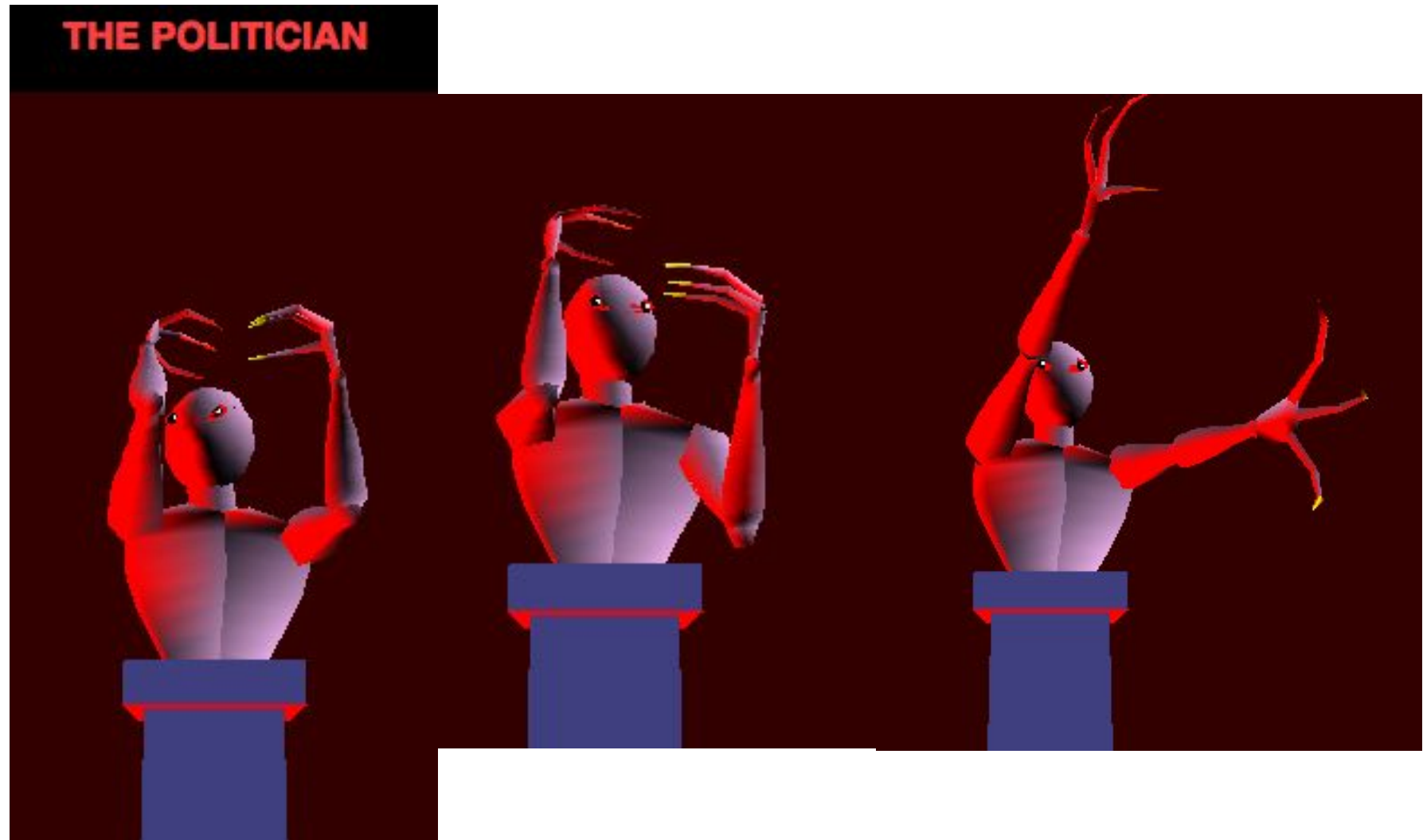
Spring

```
// Update the spring position
if(!move) {
    f = -K * (ps - R);    // f=-ky
    as = f / M;           // Set the acceleration, f=ma == a=f/m
    vs = D * (vs + as);   // Set the velocity
    ps = ps + vs;         // Updated position
}
if(abs(vs) < 0.1) {
    vs = 0.0;
}
```



- "jouer" avec les paramètres physiques K , m
- rôle du facteur d'amortissement D ?

Structures articulées



<http://mrl.nyu.edu/~perlin/experiments/fiend/>

Exemple d'un bras manipulateur plan :

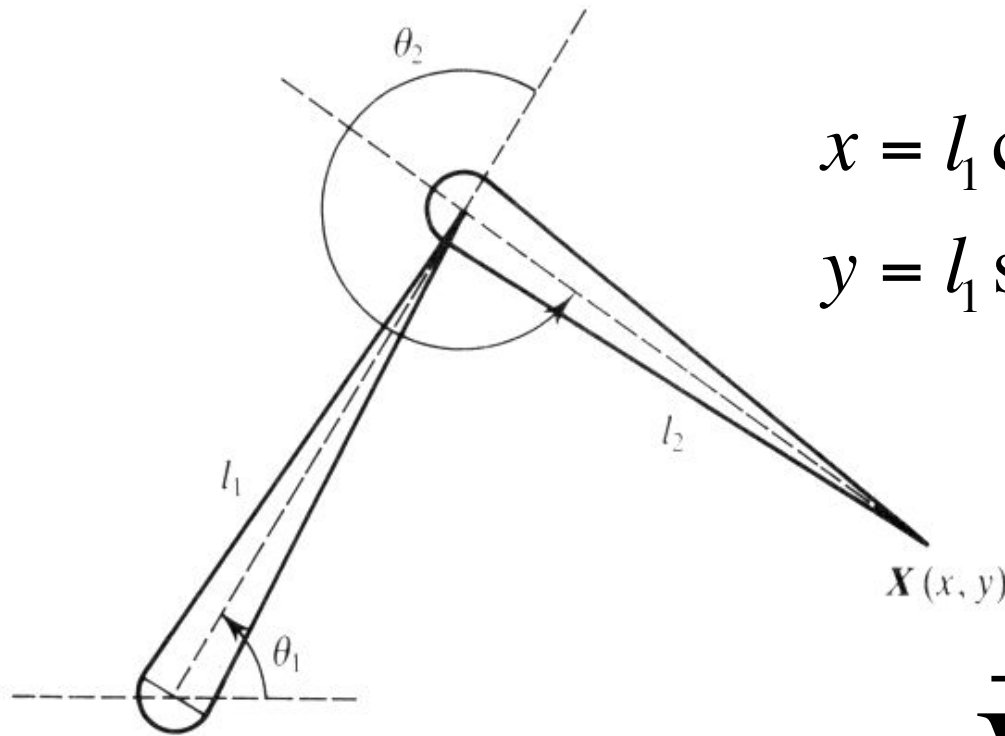


Figure 16.2 A simple two-link structure.

$$x = l_1 \cos \theta_1 + l_2 \cos(\theta_1 + \theta_2)$$
$$y = l_1 \sin \theta_1 + l_2 \sin(\theta_1 + \theta_2)$$

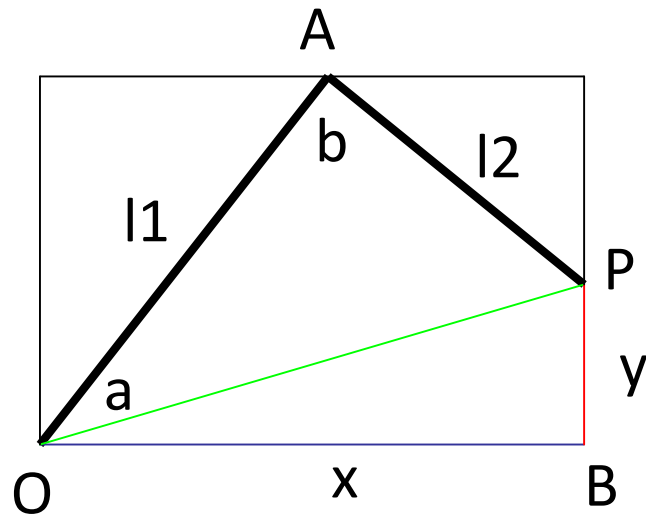
$$\vec{X} = f(\vec{\theta})$$

Cinématique inverse

$$\vec{\theta} = f^{-1}(\vec{X})$$

Reprise de l'exemple :

- recherche angle $\angle BOP = q_T$
- recherche angle $\angle POA = q_1 - q_T = a$
- recherche angle $\angle OAP = p - q_2 = b$



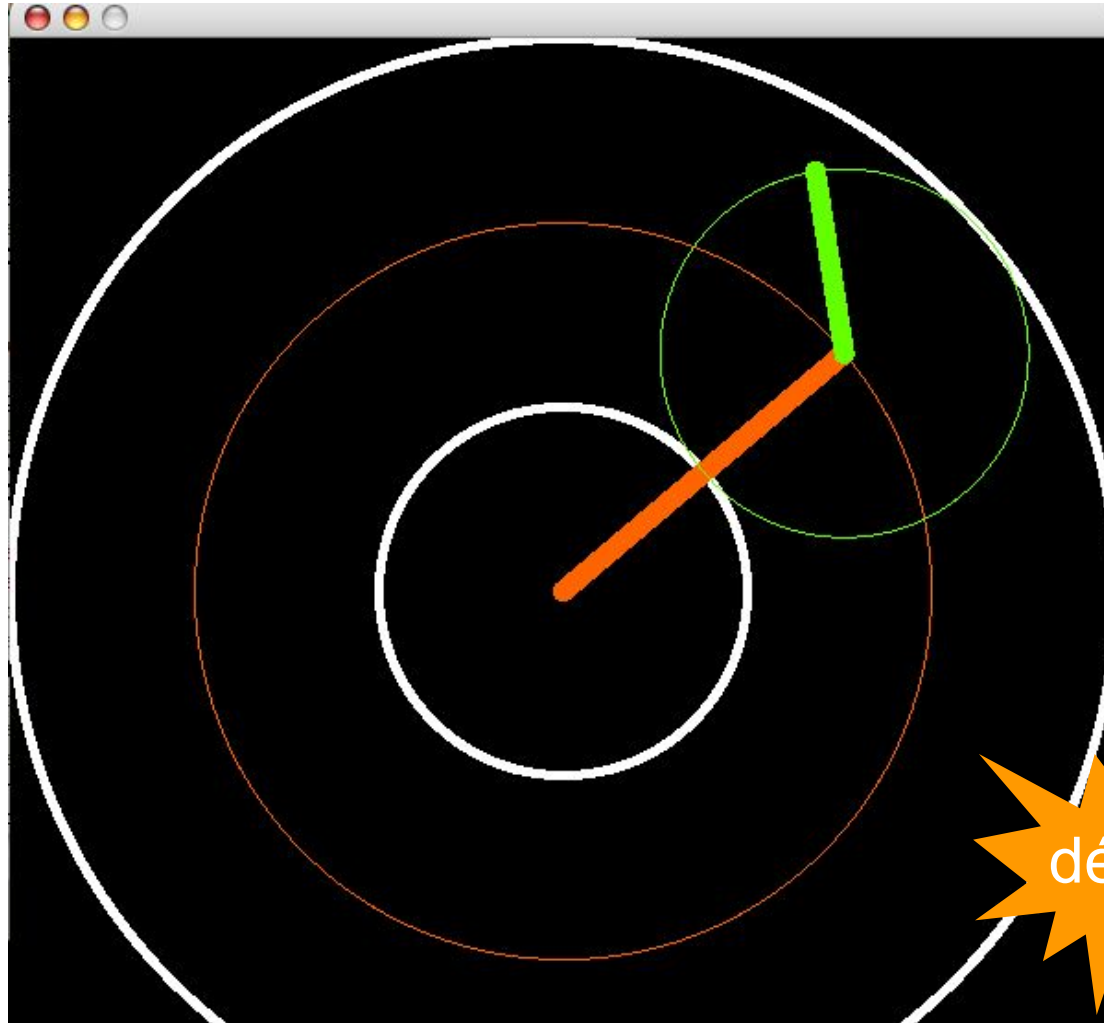
$$\tan \theta_T = BP/OB = y/x \Rightarrow \theta_T$$

$$\cos a = \frac{OP^2 + OA^2 - AP^2}{2|OP||OA|} = \frac{d^2 + l_1^2 - l_2^2}{2dl_1} \Rightarrow \theta_1$$

$$\cos b = \frac{AP^2 + AO^2 - OP^2}{2|AP||AO|} = \frac{l_2^2 + l_1^2 - d^2}{2l_1l_2} \Rightarrow \theta_2$$

$$\text{avec } d^2 = x^2 + y^2$$

Réalisation avec Processing : cineminverse



démo

```

float l1= 200;
float l2= 100;
float x,y,tht,th1,th2,a,b,d;

void setup(){
  size(600,600);
  ellipseMode(CENTER);
  noFill();
}

void draw(){
  background(0,0,0);
  stroke(255,255,255);
  strokeWeight(4);
  ellipse(300,300,2*(l1-l2),2*(l1-l2));
  ellipse(300,300,2*(l1+l2),2*(l1+l2));

  x = mouseX - 300;
  y = mouseY - 300;
  d = sqrt(x*x + y*y);
  //test sur la faisabilite

```

```

if (d<l1+l2){
  tht = atan(y/x);
  a = acos((d*d+l1*l1-l2*l2)/d/l1/2);
  b = acos((l1*l1+l2*l2-d*d)/l1/l2/2);
  th1=a+tht;
  th2=PI-b;
  if (x<0) {th1 += PI;}
  pushMatrix();
  translate(300,300);
  rotate(th1);
  stroke(255, 100, 0);
  strokeWeight(1);
  ellipse(0,0,2*(l1),2*(l1));
  strokeWeight(10);
  line(0,0,l1,0);
  translate(l1,0);
  stroke(100, 255, 0);
  strokeWeight(1);
  ellipse(0,0,2*l2,2*l2);
  rotate(2*PI-th2);
  strokeWeight(10);
  line(0,0,l2,0);
  popMatrix();
}
}

```

Une librairie de gestion de la physique : jbox2d

VOIR LE TUTORIEL DE D. SHIFFMAN

<http://natureofcode.com/book/chapter-5-physics-libraries/>

hors sujet mais à voir aussi parce que c'est beau :

<http://roberthodgin.com>